## AN1722 APPLICATION NOTE <br> Design and Realization of a CCFL Application Using TSM108, STN790A, or STS3DPFS30, and STSA1805

## 1. ABSTRACT

This technical document shows how to use the integrated circuit TSM108, the PNP power bipolar transistor STN790A, or the P channel power MOSFET STS3DPFS30, the NPN power bipolar transistor STSA1805 and the diode 1N5821 in order to design and realize a CCFL application. Such work allows STMicroelectronics' customers to choose an alternative design and STMicroelectronics itself to supply all devices concerning the power transistor part and also the control and driver part for these applications (KIT approach).
In the application block diagram below, the several STMicroelectronics' power devices are inserted in the related block.

Figure 1: Block diagram of the application


## 2. TSM108 DESCRIPTION

TSM108 is a PNP power bipolar or $P$ channel power MOSFET controller. TSM108 includes a PWM generator (AMP3 in fig. 2), voltage and current control loops (AMP1 and AMP2 respectively in fig. 2) and it also includes safety functions that lock the PNP power bipolar or P channel power MOSFET in off state. The TSM108 can sustain 60 V on $\mathrm{V}_{\mathrm{cc}}$ and the $\mathrm{I}_{\text {sink }}$ (base or gate drive sink current to switch on the device) and $I_{\text {source }}$ (base or gate drive source current to switch off the device) are respectively 15 mA (min value) and 30 mA (max value).

Rev. 2

Figure 2: TSM108 schematic circuit


As exposed above, the safety functions UV and OV can switch off the power transistor (PNP power bipolar or $P$ channel power MOSFET) when the $V_{c c}$ is under a definite min voltage or when the $\mathrm{V}_{c c}$ overcomes a definite max voltage. In fact, in these cases the output signal of the AMP 5, or the AMP 6, is low and the NAND output is high. Considering the UV function, fig. 3 shows the circuit part concerning it.
Figure 3: UV schematic circuit detail


The $\mathrm{V}_{+}$voltage (the one in the non-inverting pin of the AMP5) is:

$$
\begin{equation*}
V_{+}=\frac{76.5}{184+76.5} V_{c c} \tag{1.1}
\end{equation*}
$$

and considering:

$$
\begin{equation*}
V_{-}=2.52 \mathrm{~V} \tag{1.2}
\end{equation*}
$$

the minimum $V_{c c}$ under which the application will switch off is:

$$
\begin{equation*}
\mathrm{V}_{\mathrm{cc}}=\frac{2.52}{76.5}(184+76.5) \approx 8.5 \mathrm{~V} \tag{1.3}
\end{equation*}
$$

Considering the OV function, fig. 4 shows the circuit part concerning it.
Figure 4: OV schematic circuit detail


The $V_{\text {_ }}$ voltage (the voltage in the inverting pin of the AMP6) is:

$$
\begin{equation*}
V_{-}=\frac{23.2}{275+23.2} V_{c c} \tag{1.4}
\end{equation*}
$$

and considering:

$$
\begin{equation*}
V_{+}=2.52 \mathrm{~V} \tag{1.5}
\end{equation*}
$$

the maximum $V_{c c}$ over which the board will switch off is:

$$
\begin{equation*}
\mathrm{V}_{\mathrm{cc}}=\frac{2.52}{23.2}(275+23.2) \approx 32.4 \mathrm{~V} \tag{1.6}
\end{equation*}
$$

In order to adjust the UV and OV voltages it is necessary to insert suitable resistances as showed later in this paper.
It is important to highlight that, normally, the max $\delta$ (duty cycle) of the base drive, or gate drive, is around 95 \%.

## 3. STN790A DESCRIPTION

The STMicroelectronics' power bipolar transistor device STN790A is housed in the SOT-223 package. Such device is manufactured in PNP planar technology using a 'Base Island' layout that involves a very high gain performance and a very low saturation voltage.

The main characteristics of the STN790A device are:

1) $V_{\text {eco }} \geq 30 \mathrm{~V}$
2) $V_{\text {ecs }} \geq 40 \mathrm{~V}$
3) $V_{\text {beo }} \geq 5 \mathrm{~V}$
4) $I_{C}=-3 \mathrm{~A}$ (continuous current)
5) $I_{b}=1 \mathrm{~A}$ (continuous current)
6) $\mathrm{V}_{\mathrm{ec}(\text { sat })}=1.2 \mathrm{mV}$ (typ) @ $\mathrm{I}_{\mathrm{b}}=-20 \mathrm{~mA} @ \mathrm{Ic}=-2 \mathrm{~A}$ (typical conditions)
7) $\mathrm{H}_{\mathrm{fe}}=100(\mathrm{~min}) @ \mathrm{I}_{\mathrm{c}}=-2.5 \mathrm{~A} @ \mathrm{~V}_{\mathrm{ec}}=3 \mathrm{~V}$ (typical conditions)

## 4. 1N5821 DESCRIPTION

The STMicroelectronics' SCHOTTKY diode is integrated in the package DO-201AD and has very small conduction losses, negligible switching losses and extremely fast switching.

The main characteristics of the 1N5821 device are:

1) $V_{R R M} \geq 30 \mathrm{~V}$
2) $I_{F}=3 A$

## 5. STS3DPFS30 DESCRIPTION

The STS3DPFS30 device is mounted inside a $P$ channel power MOSFET, using the STripFET layout that allows a lower Rds(on) and a SCHOTTKY diode. It is housed in the SO-8 package.
The main characteristics of the STS3DPFS30L device are:

1) $V_{\text {sd }} \geq 30 \mathrm{~V}$
2) $V_{s g} \geq 20 \mathrm{~V}$
3) $R_{\text {ds(on)_max }}=0.09$ Ohm @ $I_{d}=1.5 A @ V_{s g}=10 \mathrm{~V}$
4) $I_{F}=3 A$ (integrated diode);
5) $\mathrm{V}_{\mathrm{F} \text { _max }}=0.51 \mathrm{~V}$ (integrated diode)
6) $\mathrm{V}_{\mathrm{RRM}}=30 \mathrm{~V}$ (integrated diode)

## 6. STSA1805 DESCRIPTION

The STMicroelectronics' power bipolar transistor device STSA1805 is housed in the TO-92 package. Such device is manufactured in NPN planar technology using a 'Base Island' layout that involves a very high gain performance and a very low saturation voltage.

The main characteristics of the STSA1805 device are:

1) $V_{\text {ceo }} \geq 60 \mathrm{~V}$
2) $V_{\text {ces }} \geq 150 \mathrm{~V}$
3) $V_{\text {ebo }} \geq 7 \mathrm{~V}$
4) $I_{C}=5 A$ (continuous current)
5) $I_{b}=1 \mathrm{~A}$ (continuuous current)
6) $\mathrm{V}_{\mathrm{ce}(\mathrm{sat})}=140 \mathrm{mV}$ (typ) @ $\mathrm{I}_{\mathrm{b}}=50 \mathrm{~mA} @ \mathrm{I}_{\mathrm{c}}=2 \mathrm{~A}$ (typical conditions)
7) $\mathrm{H}_{\mathrm{fe}}=270$ (typ) @ Ic = 2A @ $\mathrm{V}_{\mathrm{ce}}=1 \mathrm{~V}$ (typical conditions)

## 7. APPLICATION INTRODUCTION

The CCFL applications (Cold Cathode Fluorescent Lamp) are generally used for the monitor back lighting which is often used to illuminate the signs.
The part of the circuit driving the CCFL lamps is composed of a DC-AC converter. The CCFL applications use special compact fluorescent lamps. The lamps number can be $1,2,4$, or 6 and the output power can be in the range of $2-24 \mathrm{~W}$. The DC-AC converters transform the low DC in input voltage in necessary high $A C$ output voltage for the fluorescent tubes. The CCFL are usually powered with a $12 \mathrm{~V}_{\mathrm{dc}}$ voltage.

Today, two topologies are available for driving the above-mentioned special tubes: the 'ROYER' and the FULL BRIDGE solutions.

The 'ROYER' solution uses a Push-Pull current fed converter where the current source is due to an inductor and where it is possible to regulate the lamps brightness. Such a regulation is carried out by means of the inductor current controls, through a PNP power bipolar or P channel power MOSFET transistors (STN790A or STS3DPFS30 respectively), working in PWM mode, and a free wheeling diode. The diode, the transistor and the inductor make a BUCK converter stage before of the PUSH-PULL converter stage. The PUSH-PULL converter uses two NPN power bipolar transistors (STSA1805). The other solution, the FULL BRIDGE topology, uses four power MOSFET transistors, two pair of complementary power MOSFET transistors, driven by a suitable IC.
The design described in this paper uses the 'ROYER' topology, thus, only such topology will be studied.
In the graph below a schematic circuit of a CCFL application, using two paralleled 6W lamps and only one transformer, is shown (this is one of the several possible output stage configurations).
Figure 5: 'ROYER' converter schematic circuit


## 8. FLUORESCENT TUBES CHARACTERISTICS

Fluorescent lamps are generally made with tubes filled with a gas mixture at low pressure. The inner sides of the tubes are covered with fluorescent elements. During the start-up, before the tube lights on, the lamp has a very high resistance. Usually, in the common fluorescent lamps, the electrodes voltage increases up to around 500 V and starts to warm up and emit ions, but in the CCFL tubes the voltage between the lamp electrodes reaches up to 1300V. Fig. 6 shows CCFL lamp characteristics before the striking.

Figure 6: Lamp voltage before striking


When the fluorescent lamp lights on, the gas mixture inside is fully ionized, and an arc across the two electrodes occurs. In this new condition, the lamp resistance drops to 60 KOhm and the voltage across the lamps drops to about 800V (Fig. 7 and Fig. 8 show the lamp characteristics and the V-I characteristic respectively after the striking).

Figure 7: Voltage and current Lamp after striking


Figure 8: V-I Characteristic after striking


After the striking, the gas mixture emits radiations able to excite the fluorescent elements inside the tube producing the light in the visible spectrum. In this example, after the striking, the maximum electrodes voltage falls from 1300 V down to 770 V with a peak current of 12 mA . In the common fluorescent lamp
the voltage between the tube terminals drops from about 500 V , before the striking, to about 220 V after the striking.
Usually, after the striking, in order to increase the light efficiency, the tube works with a frequency around $25-50 \mathrm{KHz}$, in fact, in this frequency range, the light output can increase up to $15 \%$ for the same input energy.
Generally, the common fluorescent lamps can be considered only as a resistive load. In the CCFL lamps, instead, even if the tubes show a resistive behavior, a small but evident capacitive behavior is observed as it is shown in fig.7. In fig. 7 it is evident that the V-I Characteristic is linear until the established voltage value is reached (in this case about 500 V ). After reaching this voltage value, the characteristic starts to become flat because no ion can emit other radiations.

## 9. TRANSFORMER DESCRIPTION

The transformer named $T_{1}$ shown in fig. 5 has three windings. The primary winding terminals are connected to the collectors of the $Q_{2}$ and $Q_{3}$ NPN power bipolar transistors. The same primary winding has a central terminal where the inductor $L_{1}$ output is connected. The secondary winding terminals are connected to the loads.
The third winding terminals are connected to the base of the transistors $Q_{2}$ and $Q_{3}$ so that the first is on while the second is off and vice versa. During the $Q_{2}$ on state the current flows through the device and the related half primary winding, instead, when $Q_{3}$ is on the current passes through this second device and the other half primary winding. Usually the LT primary inductance of the transformer $T_{1}$ is much lower compared to the inductance $L_{1}$. The resonance frequency of the PUSH-PULL converter is also due to the LT inductance. In the design, $N_{2}$ (number of secondary turns) and $N_{1} / 2$ (number of half primary turns) ratio is around 80-90 while, $N_{1} / 2$ and $N_{3}$ (number of third turns) ratio, is around 4-5. In fact, considering a $12 \mathrm{~V}_{\mathrm{dc}}$ input voltage, the $\mathrm{V}_{1 / 2 \max }$ voltage (the max voltage between the terminal of the central point of the primary winding and the reference when the PNP power bipolar or the P channel power MOSFET transistors are always on) is:

$$
\begin{equation*}
v_{1 / 2 \max }=\frac{\pi}{2} \cdot V_{d c} \tag{9.1}
\end{equation*}
$$

as then demonstrated around 19 V , the $\mathrm{v}_{2 \max }$ (the max voltage between the secondary terminals of the transformer) is:

$$
\begin{equation*}
v_{2 \max }=\frac{\pi}{2} \cdot V_{d c} \frac{N_{2}}{\left(N_{1} / 2\right)} \tag{9.2}
\end{equation*}
$$

around $1500-1700 \mathrm{~V}$ and the $\mathrm{v}_{3 \max }$ (the max voltage between the terminals of the third transformer winding) is:

$$
\begin{equation*}
v_{3 \max }=\frac{\pi}{2} \cdot V_{d c} \frac{\left(N_{3}\right)}{N_{1} / 2} \tag{9.3}
\end{equation*}
$$

As exposed above, the $N_{1} / 2$ value and not $N_{1}$ is highlighted. In order to understand the reason of it, it is
necessary to consider the graph below.
Figure 9: Detail of the transformer $\mathrm{T}_{1}$


As already exposed, when the $Q_{2}$ transistor is on, the other is off and vice versa. Now, considering fig. 9 where the $T_{2}$ switch is on, the I current passes through the 'b' half primary winding of the transformer $T_{1}$ and generates a magnetic force (Hopkinson law):

$$
\begin{equation*}
\frac{N_{1}}{2} \cdot I=\mathfrak{R} \cdot \Phi \tag{9.4}
\end{equation*}
$$

where $\Phi$ is the magnetic flux and $\Re$ is the magnetic reluctance of the $T_{1}$ core, thus $\Phi$ is:

$$
\begin{equation*}
\Phi=\frac{\frac{N_{1}}{2} \cdot l}{\mathfrak{R}} \tag{9.5}
\end{equation*}
$$

The magnetic reluctance $\mathfrak{R}$ is:

$$
\begin{equation*}
\mathfrak{R}=\frac{l}{\mu \cdot A} \tag{9.6}
\end{equation*}
$$

where $\mu$ is the core permeability, $A$ is the core section and $I$ is the core length. When $T_{2}$ switches off and $T_{1}$ switches on, the current flows through the other half primary winding 'a' of the transformer $T_{1}$ and the flux $\Phi$ inverts its direction. Such a flux flows in the magnetic core $T_{1}$ creating a link respectively with the windings $N_{2}$ and $N_{3}$, and also with the other half of the primary windings $N_{1} / 2$, and generating the voltages $\mathrm{v}_{2}$ and $\mathrm{v}_{3}$ (magnetic law-Lenz law):

$$
\begin{equation*}
v_{2}=-N_{2} \frac{\Delta \Phi}{\Delta t} ; v_{3}=-N_{3} \frac{\Delta \Phi}{\Delta t} ; v_{1 / 2}=-\frac{N_{1}}{2} \frac{\Delta \Phi}{\Delta t} \tag{9.7}
\end{equation*}
$$

thus:

$$
\begin{equation*}
\frac{v_{2}}{v_{1 / 2}}=\frac{N_{2}}{N_{1} / 2}, \frac{v_{3}}{v_{1 / 2}}=\frac{N_{3}}{N_{1} / 2}, \frac{v_{1}}{v_{1 / 2}}=2 \tag{9.8}
\end{equation*}
$$

Furthermore, the current $\mathrm{i}_{2}$ (the current flowing through the secondary winding of $\mathrm{T}_{1}$ ) is:

$$
\begin{equation*}
i_{2}=I \frac{N_{1} / 2}{N_{2}} \tag{9.9}
\end{equation*}
$$

in fact, the apparent input power is:

$$
\begin{equation*}
A_{i n}=V_{1 / 2} I \tag{9.10}
\end{equation*}
$$

while the apparent output power is:

$$
\begin{equation*}
A_{\text {out }}=V_{2} i_{2} \tag{9.11}
\end{equation*}
$$

and considering an ideal transformer:

$$
\begin{equation*}
V_{2} i_{2}=V_{1 / 2} I \tag{9.12}
\end{equation*}
$$

and thus:

$$
\begin{equation*}
\frac{i_{2}}{I}=\frac{V_{1 / 2}}{V_{2}}=\frac{N_{1} / 2}{N_{2}}=\frac{1}{k} \tag{9.13}
\end{equation*}
$$

## 10. THE 'ROYER' CONVERTER TOPOLOGY

As previously exposed, the topology solution for CCFL applications used in this paper is the 'ROYER' topology. This topology solution has a current feed PUSH-PULL switching converter stage and also an inductor that together with a PNP power bipolar, or $P$ channel power MOSFET transistor and a free wheeling diode, makes a BUCK converter stage before the PUSH-PULL stage. The PNP power bipolar, or the $P$ channel power MOSFET transistor fixes the output power and thus the lamps brightness. All this is performed through a PWM signal able to drive either the PNP bipolar transistor or P channel MOSFET depending on the kind of device used. In order to implement the PWM of the transistor it is necessary to make an output current sensing (the lamps current) and to compare such a signal to the reference voltage in the AMP1 (see fig. 10 and fig. 11 for the schematic circuit designed in this paper using the PNP power bipolar transistor STN790 and the power MOSFET transistor STS3DPFS30 respecticvely). The reference is fixed to 2.52 V by the TSM108 internal voltage generator.

Figure 10: CCFL schematic circuit using the PNP power bipolar transistor


Figure 11: CCFL schematic circuit using the $P$ channel power MOSFET transistor


Such a sensing net fixes also the right output power during the voltage net fluctuations.

The component values for capacitors, resistors, and inductors are selected based on the load power, the operation frequency of the lamp before and after the striking (the operation lamp frequency must be in the range of $25-50 \mathrm{Khz}$ ), and the current ripple. The PNP power bipolar, or the P channel power MOSFET operation frequency is fixed by means of the 220 pF capacitor $\mathrm{C}_{14}$ (around 90 KHz ).
Before the lamps strike the operation frequency is due to the resonance between the capacitor $\mathrm{C}_{9}$ and the primary transformer windings inductance LT of the $T_{1}$ transformer (see fig. 12):

$$
\begin{equation*}
f=\frac{1}{2 \cdot \pi \sqrt{L T C_{9}}} \tag{10.1}
\end{equation*}
$$

Figure 12: Resonant schematic circuit before lamps striking


When the lamps are connected, the transformer circuit, considering the ideal transformer, can be represented as in the following graph.
Figure 13: Resonant circuit of the transformer after lamps striking


In this condition, the apparent input power is:

$$
\begin{equation*}
A_{i n}=v_{1} l \tag{10.2}
\end{equation*}
$$

Now it is possible to consider a new equivalent transformer circuit as shown in the graph below and where the apparent power is the same as before.
Figure 14: Equivalent resonant circuit of the transformer after lamps striking


In this equivalent transformer circuit the output impedance is transferred from the secondary winding to the primary winding of the transformer $T_{1}$. In fact, considering that $C_{3}$ and $C_{4}$ have the same value ( $\mathrm{C} 3=\mathrm{C} 4=\mathrm{C}$ ) and that $\mathrm{R}_{\text {lamp }}$ is the same for both lamps, considering also that the $\mathrm{C}_{3}-R_{\text {lamp }}$ net and the $\mathrm{C}_{4}-\mathrm{R}_{\text {lamp }}$ net are in parallel configuration, the output impedance can be written as:

$$
\begin{equation*}
\frac{R_{\text {Lamp }}}{2}-j \frac{1}{2 \cdot \omega \cdot C} \tag{10.3}
\end{equation*}
$$

but:

$$
\begin{equation*}
V_{1} I=V_{2} i_{2}=i_{2}{ }^{2}\left(\frac{R_{\text {Lamp }}}{2}-j \frac{1}{2 \cdot \omega \cdot C}\right) \tag{10.4}
\end{equation*}
$$

thus:

$$
\begin{equation*}
\frac{V_{1} I}{i_{2}^{2}}=\left(\frac{R_{\text {Lamp }}}{2}-j \frac{1}{2 \cdot \omega \cdot C}\right)=\frac{V_{1}}{i_{2}} \frac{I}{i_{2}}=\frac{V_{1}}{I} \frac{N_{2}^{2}}{\left(N_{1} / 2\right)^{2}}=\frac{V_{1}}{I} k^{2} \tag{10.5}
\end{equation*}
$$

and thus:

$$
\begin{equation*}
\frac{V_{1}}{l}=z_{e q 1}=\frac{1}{k^{2}}\left(\frac{R_{L a m p}}{2}-j \frac{1}{2 \cdot \omega \cdot C}\right) \tag{10.6}
\end{equation*}
$$

where:

$$
\begin{equation*}
\frac{R_{\text {Lamp }}}{2 k^{2}} \tag{10.7}
\end{equation*}
$$

is the primary equivalent resistance, while:

$$
\begin{equation*}
2 C k^{2} \tag{10.8}
\end{equation*}
$$

is the primary equivalent capacitance.

Now, the equivalent primary admittance $\left(\mathrm{Yeq}_{1}\right)$ is:

$$
\begin{equation*}
Y_{e q 1}=\frac{-j}{\omega \cdot L T}+j \omega \cdot C_{9}+\frac{k^{2} j 2 \omega C}{\left(1+j \omega C R_{L a m p}\right)} \tag{10.9}
\end{equation*}
$$

where:

$$
\begin{equation*}
\frac{k^{2} j 2 \omega \cdot C}{\left(1+j C R_{\text {Lamp }} \omega\right)} \tag{10.10}
\end{equation*}
$$

is the admittance of the series net:

$$
\begin{equation*}
\frac{R_{\text {Lamp }}}{2 k^{2}}-2 C k^{2} \tag{10.11}
\end{equation*}
$$

Considering the impedance of the

$$
\frac{R_{\text {Lamp }}}{k^{2}}
$$

negligible compared to $\mathrm{Ck}^{2}$, deriving the $\mathrm{Yeq}_{1}$ with respect to the pulsation $\omega$ and equaling to zero, it is possible to find the frequency that maximizes the $Y_{\text {eq1 }}$ and, thus, minimizes the $Z_{\text {eq1 }}$ impedance (such frequency is the resonance frequency of the application during the lamps on state):

$$
\begin{equation*}
\omega^{2} \cong \frac{1}{L T\left(C_{9}+2 k^{2} C\right)} \tag{10.12}
\end{equation*}
$$

and thus:

$$
\begin{equation*}
f \cong \frac{1}{2 \cdot \pi \sqrt{L T\left(C_{9}+2 k^{2} C\right)}} \tag{10.13}
\end{equation*}
$$

When the board is powered, the resistances $R_{10}$ and $R_{11}$ (see fig. 15) enable the power bipolar devices $Q_{2}$ and $Q_{3}$ and the lamps turn on. After the start-up, during the $Q_{2}$ on state, the current flowing through the inductance $L_{1}$, through the half primary winding of the transformer $T_{1}$ and through the transistor $Q_{2}$, increases with an angular coefficient given by:

$$
\begin{equation*}
\operatorname{tg} \alpha=\frac{\mathrm{v}_{\mathrm{L} 1}{ }^{*} \Delta \mathrm{t}}{\mathrm{~L}_{1}} \tag{10.14}
\end{equation*}
$$

After a first instant, the current curve becomes flat and its average value depends on the impedance $Z_{\text {eq1 }}$ and on the output power. However, when the PNP power bipolar, or $P$ channel power MOSFET is on, after the lamps start-up, the current oscillates around the average value because the ripple on it depends only on the inductance $L_{1}$. In PWM mode, instead, it depends also, linearly, on the duty cycle of the transistor.

Figure 15 shows the 'ROYER' converter schematic circuit during the start-up considering the current I graph through the inductor.
Figure 15: 'ROYER' converter schematic circuit with inductor current theoretical behavior at star- up


After the striking, the primary current ' $l$ ' generates the current $i_{2}$ into the secondary winding of the transformer $\mathrm{T}_{1}$. At the beginning, the current $\mathrm{i}_{2}$ can be written as:

$$
\begin{equation*}
\mathrm{i}_{2}=\frac{\mathrm{v}_{2}}{\mathrm{R}_{\text {Lamp }} / 2} \tag{10.15}
\end{equation*}
$$

because the capacitors $\mathrm{C}_{3}$ and $\mathrm{C}_{4}$ are discharged. Immediately after, these capacitors get charged and the current $\mathrm{i}_{2}$ drops to zero, while $\mathrm{vc}_{3}$ and $\mathrm{vc}_{4}$ reach the maximum voltage. At this time, the current $\mathrm{i}_{2}$ inverts its direction and the capacitors $\mathrm{C}_{3}$ and $\mathrm{C}_{4}$ start discharging until the charge inside them becomes zero and the current $i_{2}$ reaches its maximum negative value. Furthermore, when the current $i_{2}$ inverts the direction also the voltage $v_{\mathrm{t} 1 \mathrm{~b} 2}$ reverts the polarities so that $Q_{2}$ switches off, $Q_{3}$ switches on, and the current 'l' starts flowing into the other half winding of the transformer $T_{1}$ (see fig. 16).

Figure 16: 'ROYER' converter schematic circuit with theoretical behavior of $\mathrm{v}_{1}, \mathrm{v}_{\mathbf{2}}$, and $\mathrm{i}_{\mathbf{2}}$


The main output electrical parameters $\mathrm{v}_{2}(\mathrm{t}), \mathrm{I}_{\text {Lamp }}(\mathrm{t}), \mathrm{V}_{\text {Lamp }}(\mathrm{t}), \mathrm{v}_{\mathrm{c3}}(\mathrm{t})$ and $\mathrm{v}_{\mathrm{c4}}(\mathrm{t})$ (these last two are the voltages across the capacitors $\mathrm{C}_{3}$ and $\mathrm{C}_{4}$ ) are shown in the following graph under a vectorial representation.
Figure 17: Vectorial representation of $\mathbf{v}_{\mathbf{2}}, \mathrm{i}_{\mathbf{2}}, \mathrm{v}_{\text {lamp }}, \mathrm{v}_{\mathrm{c} 3}$ and $\mathbf{v}_{\mathbf{c} 4}$


In fact, assuming that, the lamps have only resistive behavior, the $\mathrm{I}_{\text {Lamp }}$ currents flowing through them and the $\mathrm{V}_{\text {lamp }}$ (the voltage across them) can be written as:

$$
\begin{equation*}
V_{\text {Lamp }}=I_{\text {Lamp }} * R_{\text {Lamp }} \tag{10.16}
\end{equation*}
$$

The graph also assumes that the vectors $\mathrm{V}_{\text {Lamp }}$ and $\mathrm{I}_{\text {Lamp }}$ are on the real axis at the time taken into consideration. The $I_{\text {Lamp }}$ currents flow also through the capacitors $C_{3}$ and $C_{4}$ and, thus, the voltages $\mathrm{v}_{\mathrm{c} 3}$
and $v_{c 4}$ can be represented as $-90^{\circ}$ phase shifted vectors compared to the $I_{\text {Lamp }}$ vectors. The voltage $v_{2}$ is the vectorial sum between the $V_{\text {Lamp }}$ and $v_{c 3}$, or $v_{c 4}$. Before the striking, the resistance lamps $R_{\text {lamp }}$ are very high compared to reactance of $\mathrm{C}_{3}$ and $\mathrm{C}_{4}$, the currents $\mathrm{I}_{\text {Lamp }}$ are low and the voltages $\mathrm{V}_{\text {lamp }}$ are very much comparable to the voltage $\mathrm{v}_{2}$ across the secondary winding of the transformer $\mathrm{T}_{1}$. After the striking, $\mathrm{R}_{\text {lamp }}$ drops to about 60 KOhm and the reactance $\mathrm{C}_{3}-\mathrm{C}_{4}$ becomes higher compared to the first one, thus making the voltages $v_{c 3}$ and $v_{c 4}$ comparable to $v_{2}$. However, in order to keep the lamps on, after the striking, the max $V_{\text {lamp }}$ must be about 700 V across the tubes.
The voltage $\mathrm{v}_{11}$ (voltage across the inductor $\mathrm{L}_{1}$ ) is the difference between the $\mathrm{V}_{\mathrm{dc}}$ and the $\mathrm{v}_{1 / 2}$ voltages considering the PNP power bipolar in on-state, or the $P$ channel power MOSFET transistor (see fig. 18). Figure 18: 'ROYER' converter schematic circuit with the theoretical behavior of $\mathrm{v}_{1}, \mathrm{v}_{1 / 2}, \mathrm{v}_{\mathrm{L} 1}$, and $V_{\text {dc }}$


During the off state of the transistor $Q_{1}$, the diode $D_{1}$ turns on and the voltage $v_{L 1}$ becomes:

$$
\begin{equation*}
V_{L 1}=-V_{1 / 2} \tag{10.17}
\end{equation*}
$$

Figure 19: $\mathrm{v}_{1}, \mathrm{v}_{1 / 2}, \mathrm{v}_{\mathrm{L} 1}$, and $\mathrm{V}_{\mathrm{dc}}$ theoretical behavior when the P channel power MOSFET switches off and the diode D1 freewheels


In fact, supposing Q1 always in on state, focusing the attention only on one half-period of the periodic voltage $v_{1 / 2}$, as showed in fig. 20, the area $A_{2}$ must be equal to the area $A_{1}$ because the half-sine wave voltage $v_{1 / 2}$ and the voltage $V_{d c}$ must have the same average value.
Figure 20: $\mathrm{v}_{1 / 2}$ half-sine wave and Vdc graphs


So writing $A_{1}$ as:

$$
\begin{equation*}
\mathrm{A}_{1}=\mathrm{V}_{\mathrm{dc}} \frac{\mathrm{~T}}{2} \tag{10.18}
\end{equation*}
$$

and considering $\mathrm{A}_{2}$ :

$$
\begin{equation*}
A_{2}=\int_{0}^{\frac{T}{2}} V_{1 / 2 \max } \operatorname{sen}\left(\frac{2 \pi}{T} t\right) d t= \tag{10.19}
\end{equation*}
$$

$$
\begin{gather*}
=\frac{\mathrm{T}}{2 \pi} \mathrm{~V}_{1 \max }\left[-\cos \left(\frac{2 \pi}{\mathrm{~T}}\right) t\right]_{0}^{\frac{\mathrm{T}}{2}}=\frac{\mathrm{T}}{\pi} \mathrm{~V}_{1 / 2 \max }  \tag{10.19}\\
\mathrm{~A}_{1}=\mathrm{A}_{2}  \tag{10.20}\\
\mathrm{~V}_{\mathrm{dc}} \frac{\mathrm{~T}}{2}=\frac{\mathrm{T}}{\pi} \mathrm{~V}_{1 \max } \Rightarrow \mathrm{~V}_{1 / 2 \max }=\frac{\pi}{2} \mathrm{~V}_{\mathrm{dc}} \tag{10.21}
\end{gather*}
$$

and finally, the max voltage $v_{1}$ is:

$$
\begin{equation*}
\mathrm{V}_{1 \max }=\pi \cdot \mathrm{V}_{\mathrm{dc}} \tag{10.22}
\end{equation*}
$$

During the half-period $T / 2, Q_{1}$ can switch off and, in this short time, any voltage is supplied to the board. Fig. 21 shows a possible example.
Figure 21: $\mathbf{v}_{1 / 2}$ half-sine wave and $V_{d c}$ graphs when $\delta \neq 100 \%$


In this condition, the voltages $\mathrm{v}_{1 / 2 \max }$ and $\mathrm{v}_{1 \text { max }}$ become:

$$
\begin{align*}
& \mathrm{V}_{1 / 2 \max }=\delta \frac{\pi}{2} \mathrm{~V}_{\mathrm{dc}}  \tag{10.23}\\
& V_{1 \max }=\delta \cdot \pi \cdot V_{d c} \tag{10.24}
\end{align*}
$$

where $\delta$ is the duty cycle of $\mathrm{Q}_{1}$.
Now focusing the attention only on one half-period of the voltage $\mathrm{v}_{\mathrm{L} 1}$ and considering $\mathrm{Q}_{1}$ always in on state (see fig. 22).

Figure 22: : $\mathrm{v}_{11}$ theoretical behavior detail


As previously exposed, after the lamps striking, the current 'l' fluctuates around an average value, thus it can be written:

$$
\begin{equation*}
I_{\max }-I_{a v g}=I_{a v g}-I_{\min }=\Delta I \tag{10.25}
\end{equation*}
$$

where $\mathrm{I}_{\mathrm{avg}}$ is the average value current ' $I$ ' that involves:

$$
\begin{equation*}
v_{\mathrm{avg}}=0 \tag{10.26}
\end{equation*}
$$

where $v_{\text {avg }}$ is the average voltage value across $L_{1}$.
The voltage $v_{\text {avg }}$ is:

$$
\begin{equation*}
v_{a v g}=\frac{(A+D-B-C)}{T} \tag{10.27}
\end{equation*}
$$

where now T is the period of the voltage $\mathrm{v}_{\mathrm{L} 1}$, and thus:

$$
\begin{equation*}
A+D=B+C \tag{10.28}
\end{equation*}
$$

and:

$$
\begin{equation*}
A=B \tag{10.29}
\end{equation*}
$$

because:

$$
\begin{equation*}
C=B, D=A \tag{10.30}
\end{equation*}
$$

The voltage $v_{L 1}$ is:

$$
\begin{equation*}
v_{L 1}=V_{d c}-\frac{\pi}{2} V_{d c} \cdot \operatorname{sen}\left(\frac{2 \cdot \pi}{T} t\right) \tag{10.31}
\end{equation*}
$$

and $\mathrm{t}^{\prime}$ is the time when $\mathrm{v}_{\mathrm{L} 1}$ is zero:

$$
\begin{equation*}
0=V_{d c}-\frac{\pi}{2} V_{d c} \cdot \operatorname{sen}\left(\frac{2 \cdot \pi}{T} t^{\prime}\right) \tag{10.32}
\end{equation*}
$$

Solving the equation $\mathrm{t}^{\prime}$ becomes:

$$
\begin{equation*}
t^{\prime}=\frac{T}{2 \cdot \pi} \operatorname{arcsen}\left(\frac{2}{\pi}\right) \tag{10.33}
\end{equation*}
$$

During the design of the application, the max current ripple of ' 1 ' is fixed. Usually, the $\Delta I_{\text {max\% }}$ is about 20 $40 \%$ of the average value of ' $I$ ', where:

$$
\begin{equation*}
\Delta I_{\max \%}=\frac{\Delta I_{\max }}{l_{\mathrm{avg}}} \tag{10.34}
\end{equation*}
$$

and thus:

$$
\begin{equation*}
\Delta I_{\max \%} \cdot I_{\text {avg }}=\Delta I_{\max } \tag{10.35}
\end{equation*}
$$

Considering the Lenz law:

$$
\begin{equation*}
v_{\text {avg }}=L 1_{\min } \frac{\Delta I_{\max }}{\Delta t} \tag{10.36}
\end{equation*}
$$

it is possible to find $L_{\text {min }}$ ( $L_{1}$ minimum value) as:

$$
\begin{equation*}
L_{1 \min }=\frac{\Delta t}{\Delta I_{\max }} v_{\text {avg }} \tag{10.37}
\end{equation*}
$$

During the time interval $0-\mathrm{t}$ ' the current 'I' increases of

$$
\frac{\Delta I_{\max }}{2}
$$

and the $v_{\text {avg }}$ is:

$$
\begin{equation*}
v_{\text {avg }}=\frac{1}{t^{\prime}} \int_{0}^{t^{\prime}} v_{L 1} \cdot d t=\frac{1}{t^{\prime}} \int_{0}^{t^{\prime}}\left[V_{d c}-\frac{\pi}{2} V_{d c} \cdot \operatorname{sen}\left(\frac{2 \cdot \pi}{T} t\right)\right] d t \tag{10.38}
\end{equation*}
$$

and thus:

$$
\begin{equation*}
v_{a v g}=\frac{1}{t^{\prime}}\left\{V_{d c} \cdot t^{\prime}-\frac{T}{4} V_{d c}\left[1-\cos \left(\frac{2 \cdot \pi}{T} t^{\prime}\right)\right]\right\} \tag{10.39}
\end{equation*}
$$

Finally, $\mathrm{L} 1_{\text {min }}$ can be calculated as:

$$
\begin{equation*}
L 1_{\min }=\frac{2}{\Delta I_{\max }}\left\{V_{d c} \cdot t^{\prime}-\frac{T}{4} V_{d c}\left[1-\cos \left(\frac{2 \cdot \pi}{T} t^{\prime}\right)\right]\right\} \tag{10.40}
\end{equation*}
$$

When PWM is used, the current ripple depends also on frequency and duty cycle of $Q_{1}$. Such ripple is lower compared to the case where $Q_{1}$ is permanently in an on-state, therefore this is the worst condition with regard to the ripple.
The attention will be now focused on the PNP power bipolar transistor, or $P$ channel power MOSFET, on $Q_{1}$ and the diode $D_{1}$. During the $Q_{1}$ on-state, the diode $D_{1}$ is disabled, 'l' flows through the same device, while during the $Q_{1}$ off-state 'l' freewheels into $D_{1}$ (see fig. 23).

Figure 23: $Q_{1}$ and $D_{1}$ theoretical behavior


With regard to $Q_{2}$ or $Q_{3}$, when the first is on, the current flows through the device, while the second is off and vice versa (see fig. 24).

Figure 24: $\mathbf{Q}_{\mathbf{2}}$ and $\mathrm{Q}_{\mathbf{3}}$ voltages and currents theoretically calculated


## 11. SENSING NET AND PWM NET WITH TSM108

The following picture highlights the sensing net considering the CCFL design used in this paper.
Figure 25: Sensing circuitry detail


During the $\mathrm{i}_{2}$ positive half-sine-wave the current, mainly, passes through the resistance $\mathrm{R}_{9}$. The voltage across $R_{9}$ enables the diode $D_{2}$ and the net $C_{11}-R_{8}-P-R_{7}-C_{8}$. When $Q_{1}$ is in on-state the max output power on the lamps reaches about 16 W , thus, the $\mathrm{i}_{\text {2eff }}$ (RMS current) is:

$$
\begin{equation*}
i_{2 \text { eff }}=\sqrt{\frac{P_{\text {out }}}{R_{\text {Lamp }}}}=\sqrt{\frac{16}{60000}} \cong 16 \mathrm{~mA} \tag{11.1}
\end{equation*}
$$

While its maximum value $\mathrm{i}_{2 \max }$ is:

$$
\begin{equation*}
i_{2 \max }=16 \sqrt{2} \cong 23 m A \tag{11.2}
\end{equation*}
$$

The maximum voltage across $R 9, \mathrm{~V}_{\mathrm{R} 9}$ is:

$$
\begin{equation*}
V_{R 9 \max }=R_{9} \cdot i_{2 \max }=390 \cdot 23 \cdot 10^{-3} \cong 9 \mathrm{~V} \tag{11.3}
\end{equation*}
$$

The maximum voltage $\mathrm{V}_{\mathrm{R} 9}$ is important because if it overcomes 9 V it can make the TSM108 instable.

Figure 26: $\mathbf{V}_{\mathrm{R} 9}$ theoretical behavior


During the $i_{2}$ negative half-sine-wave, the diode $D_{2 "}$ carries the current bypassing the resistance $R_{9}$ and increasing the application efficiency. During the $\mathrm{i}_{2}$ positive half-sine-wave, the capacitor $\mathrm{C}_{11}$ gets charged, keeps constant the voltage across it and discharges on the $R_{8}-P-R_{7}$ net during the $\mathrm{i}_{2}$ negative half-wave.
The inverting input of the AMP1 is fixed at 2.52 V and it tries to keep the non-inverting input at the same voltage. When the output power increases, the current $\mathrm{i}_{2}$ increases as well and the voltage in the non-inverting input overcomes the 2.52 V but, immediately after, the AMP1 output and TSM108 regulate the duty cycle of $Q_{1}$ limiting the output power and in turn reducing the non-inverting input voltage to 2.52 V .

Regulating the trimmer $P$, the lamps brightness can be regulated. In fact, increasing the trimmer $P$ resistance the lamps brightness can be decreased because the non-inverting input overcomes 2.52 V and TSM108 decreases the $Q_{1}$ duty cycle and vice versa. In the following figure the AMP1 characteristics are shown.
Figure 27: TSM108 AMP1measured waveforms


The capacitor $\mathrm{C}_{8}$ keeps the voltage in the non-inverting input of the AMP1 constant, thus avoiding
situations of instability. The resistor $R_{5}$ regulates the minimum output power on the lamps. It is connected to the central point of the primary winding of $T_{1}$ on one side, and, on the other side, to the diode $D_{3}$ whose cathode goes to the capacitor $C_{11}$. The diode $D_{3}$ avoids a current flowing from $C_{11}-R_{8}$ -$\mathrm{P}_{-} \mathrm{R}_{7}-\mathrm{C}_{8}$ net to the $\mathrm{T}_{1}$ transformer. Without this net, the minimum output power would never reach a value under the $40 \%$ of the nominal lamps power. $C_{7}$ is the compensation capacitor of the AMP1 output, while the $\mathrm{C}_{5}$ is the voltage reference bias capacitor. The capacitor $\mathrm{C}_{6}$ allows the flickering of the lamps to be avoided. The following picture shows the driving circuitry of $Q_{1}$.
Figure 28: $Q_{1}$ driver circuitry


The AMP1 output is the AMP3 inverting input and is compared to the saw tooth signal generated from AMP4. The frequency of the saw tooth signal is established by the capacitor $\mathrm{C}_{14}$. In this design the 220 pF capacitor generates a saw tooth signal with about 90 KHz switching frequency. Usually the $Q_{1}$ switching frequency must be at least twice the lamps frequency. It can reach up to about 250 KHz using a P channel power MOSFET. When the AMP1 output is higher compared to the saw tooth signal, the AMP3 output is low and $Q_{1}$ switches on and vice versa. The following picture shows the AMP3 characteristics.

Figure 29: TSM108 AMP3 measured waveforms


It is important to highlight that such design allows the regulation of the output power on the lamps in the 2-16W range.

As considered in section 1, the TSM108 has the $Q_{1}$ lock functions UV (under voltage lockout) and OV (over voltage lockout). Without any external components, as previously said, the input voltage range accepted by the TSM108 is between 8.5 V and 32.4 V . In this application, being such voltage 12 V , the chosen voltage range is $8.5-15.5 \mathrm{~V}$. While the minimum input voltage value corrisponds to the standard UV of the TSM108, being the maximum chosen input voltage lower than the standard OV, it is necessary to introduce an external a 220 KOhm resistor R1 between +12 V and the pin 5 of the TSM108, in order to decrease such value (see fig. 30).
Figure 30: OV modified circuit


Considering the equation 2.6 , the OV voltage is:

$$
\begin{equation*}
V c c=\frac{2.52}{23.2}(275 / / 220+23.2)=\frac{2.52}{23.2}\left[\left(\frac{275^{*} 220}{275+220}\right)+23.2\right]=15.8 \mathrm{~V} \tag{11.1}
\end{equation*}
$$

## 12. DESIGN OF THE CCFL APPLICATION USING TSM108 AND THE STMicroelectronics' POWER TRANSISTORS

In Table 1 all the components of the design, taken as an example, are listed. Figures 31 and 32 show the schematic circuits of the application using the STN790A power bipolar and STS3DPFS30 respectively and the TSM108.

## Table 1: Components list

| COMPONENT | NAME | VALUE |
| :---: | :---: | :---: |
| RESISTANCE | R1 | 220 kOhm |
| RESISTANCE | R2 | 4,7 kOhm |
| RESISTANCE | R3 | 330 Ohm |
| RESISTANCE | R4 | 470 kOhm |
| RESISTANCE | R5 | 390 kOhm |
| RESISTANCE | R7 | 330 Ohm |
| RESISTANCE | R8 | 680 Ohm |
| RESISTANCE | R9 | 390 Ohm |
| RESISTANCE | R10 | 2 kOhm |
| RESISTANCE | R11 | 2 kOhm |
| RESISTANCE | R12 | 2 kOhm |
| RESISTANCE | R13 | 2 kOhm |
| CAPACITOR | C1 | 22 nF |
| CAPACITOR | C2 | 150 uF |
| CAPACITOR | C3 | 22 pF |
| CAPACITOR | C4 | 22 pF |
| CAPACITOR | C5 | 10 nF |
| CAPACITOR | C6 | 39 nF |
| CAPACITOR | C7 | 82 nF |
| CAPACITOR | C8 | 82 nF |
| CAPACITOR | C9 | 220 nF |
| CAPACITOR | C11 | 15 nF |
| CAPACITOR | C13 | 10 nF |
| CAPACITOR | C14 | 220 pF |
| STS3DFPS30-POWER MOSFET | Q1 |  |
| STN790A-PNP POWER BIPOLAR | Q1 |  |
| STSA1805-NPN POWER BIPOLAR | Q2 |  |
| STSA1805-NPN POWER BIPOLAR | Q3 |  |
| TSM108-IC |  |  |
| 1N5821-DIODE | D1 |  |
| 1N5821-DIODE | D3 |  |
| 6 W LAMP | 11 |  |
| 6 W LAMP | 12 |  |
| INDUCTOR | L1 | 140 uH |
| TRIMMER | P | 47 kOhM |
| FUSE |  | 2 A |

Figure 31: CCFL schematic circuit using the PNP power bipolar transistor


Figure 32: CCFL schematic circuit using the $P$ channel power MOSFET transistor


The following graphs show the voltage characteristics of the transformer while no lamps are connected to the converter.
Figure 33: $\mathbf{v}_{\mathbf{2}}$ measured waveforms before striking


Figure 34: $\mathrm{v}_{1}$ measured waveforms before striking


Figure 35: V3 measured waveforms before striking


Figure 36: $\mathbf{v}_{1 / 2}$ measured waveforms before striking


In figure 34 the maximum value of v 1 is 37 V according to the formulas 10.22 :

$$
\begin{equation*}
v_{1 \max }=\pi \cdot V_{d c}=3,14 \cdot 12 \cong 37,5 \mathrm{~V} \tag{12.1}
\end{equation*}
$$

The operation frequency is about 50 KHz , in fact, considering the formula 10.1:

$$
\begin{equation*}
f=\frac{1}{2 \cdot \pi \sqrt{L T C_{9}}}=\frac{1}{2 \cdot 3.14 \sqrt{46 \cdot 10^{-6} \cdot 220 \cdot 10^{-9}}} \cong 50 \mathrm{Khz} \tag{12.2}
\end{equation*}
$$

The maximum voltage value of $\mathrm{v}_{1 / 2}$ is 18.80 V , as stated in formula 9.19:

$$
\begin{equation*}
v_{1 / 2 \max }=\frac{\pi}{2} \cdot V_{d c}=\frac{3.14}{2} \cdot 12 \cong 18.8 V \tag{12.3}
\end{equation*}
$$

The voltage $v_{1 / 2}$ has a frequency twice the $v_{1}$ because $v_{1 / 2}$ has only half positive sin-wave characteristics.

$$
\begin{align*}
& \text { The } \frac{N_{2}}{N_{1} / 2}, \frac{N_{3}}{N_{1} / 2} \text { ratio are: } \\
& \frac{N_{2}}{N_{1} / 2}=\frac{V_{2 \max }}{V_{1 / 2 \max }}=\frac{1700}{18.80} \cong 90  \tag{12.4}\\
& \frac{N_{3}}{N_{1} / 2}=\frac{v_{3 \text { max }}}{V_{1 / 2 \max }}=\frac{5.5}{18.80} \cong \frac{1}{3} \tag{12.5}
\end{align*}
$$

In fig. 37 the waveforms of current and voltage of $L_{1}$ are showed.
Figure 37: $\mathbf{v}_{\mathrm{L} 1}, \mathrm{i}_{\mathrm{L} 1}$ and $\mathrm{i}_{\mathrm{ak}}$ measured waveforms before striking


In this condition, the current $L_{L 1}$ into the inductor $L_{1}$ is $1 A$. The $v_{L 1}$ frequency is the same as the $v_{1 / 2}$ one, while the maximum $\mathrm{v}_{\mathrm{L} 1}$ voltage is equal to $\mathrm{V}_{\mathrm{dc}}$. According to the formula 9.29 the minimum $\mathrm{v}_{\mathrm{L} 1}$ value is:

$$
\begin{equation*}
\mathrm{V}_{\mathrm{L} 1 \min }=\mathrm{V}_{\mathrm{dc}}-\frac{\pi}{2} \mathrm{~V}_{\mathrm{dc}}=12-\frac{3.14}{2} 12 \cong-7 \mathrm{~V} \tag{12.6}
\end{equation*}
$$

As showed in fig. 37, the minimum $v_{L 1}$ value is about -18.5 V because during the operation $Q_{1}$ switches off, the diode $D_{1}$ switches on (in fig. 37 the $i_{a k}$ current is highlighted), and the voltage $v_{L 1}$ is $-v_{1 / 2}$.

The following graph shows current and voltage in $D_{1}$ in these conditions.
Figure 38: $\mathrm{i}_{\mathrm{ak}}$ and $\mathrm{v}_{\mathrm{ak}}$ measurements before striking


The pictures in the next pages show all voltages and currents when the lamps are connected.
Figure 39: $\mathbf{v}_{\mathbf{2}}$ measurement during the lamps on-state


Figure 40: $\mathrm{v}_{1}$ measurement during the lamps on-state


Figure 41: V3 measurement during the lamps on-state


Figure 42: $\mathrm{v}_{1 / 2}$ measurement during the lamps on state


The operation frequency drops from about 50 KHz to about 35 KHz , in fact, considering the 10.13:

$$
\begin{gathered}
f=\frac{1}{2 \cdot \pi \sqrt{L T\left(C_{9}+2 \cdot \mathrm{k}^{2} \cdot \mathrm{C}\right)}}= \\
=\frac{1}{2 \cdot 3.14 \sqrt{46 \cdot 10^{-6}\left(220 \cdot 10^{-9}+2 \cdot 44 \cdot 90^{2} \cdot 10^{-12}\right)}} \cong 32 \mathrm{Khz}
\end{gathered}
$$

The obtained result theoretically is very much similar to the measured one and the slight difference is mainly due to the simplifications applied in the mathematical model.
Fig. 43 shows the current and voltage behavior when lamps are connected.
Figure 43: $\mathbf{v}_{\mathrm{L} 1}, \mathrm{i}_{\mathrm{L} 1}$ and $\mathrm{i}_{\mathrm{ak}}$ measurements during the lamps on-state


Now, focusing the attention on $\mathrm{Q}_{1}$, considering the lamps on, the following figures show the power bipolar STN790A and the power MOSFET STS3DPFS30 characteristics (steady state, turn off) considering three different input voltages 12 V (standard condition), 10.8 V and 13.2 V ( $+-10 \%$ of the nominal voltage condition). The tables, following the graphs below, summarize the main electrical parameters. Furthermore, waveforms regarding the free wheeling diode $\mathrm{D}_{1}$ working under the same above-mentioned conditions are included.
Figure 44: STN790A steady state ( $\mathrm{V}_{\mathrm{dc}}=12 \mathrm{~V}$ )


Figure 45: STN790A turn off $\left(\mathrm{V}_{\mathrm{dc}}=12 \mathrm{~V}\right)$


Figure 46: STN790A turn on $\left(\mathrm{V}_{\mathrm{dc}}=12 \mathrm{~V}\right)$


Figure 47: STS3DPFS30 steady state ( $\left.\mathrm{V}_{\mathrm{dc}}=12 \mathrm{~V}\right)$.


Figure 48: STS3DPFS30 turn off ( $\mathrm{V}_{\mathrm{dc}}=12 \mathrm{~V}$ )

| Figure 49: STS3DPFS30 turn on (Vdc=12V).


Figure 50: STN790A steady state $\left(\mathrm{V}_{\mathrm{dc}}=10.8 \mathrm{~V}\right)$.


Figure 51: STN790A turn off (Vdc=10.8 V).


Figure 52: STN790A turn on ( $\mathrm{V}_{\mathrm{dc}}=10,8 \mathrm{~V}$ ).


Figure 53: STS3DPFS30 steady state ( $\mathrm{V}_{\mathrm{dc}}=10,8 \mathrm{~V}$ ).


Figure 54: STS3DPFS30 turn off ( $\mathrm{V}_{\mathrm{dc}}=10.8 \mathrm{~V}$ ).


Figure 55: STS3DPFS30 turn on ( $\mathrm{V}_{\mathrm{dc}}=10.8 \mathrm{~V}$ ).


Figure 56: STN790A steady state ( $\mathrm{V}_{\mathrm{dc}}=13.2 \mathrm{~V}$ )


Figure 57: STN790A turn off $\left(\mathrm{V}_{\mathrm{dc}}=13.2 \mathrm{~V}\right)$


Figure 58: STN790A turn on ( $\mathrm{V}_{\mathrm{dc}}=13.2 \mathrm{~V}$ )


Figure 59: STS3DPFS30 steady state $\left(\mathrm{V}_{\mathrm{dc}}=13.2 \mathrm{~V}\right)$


Figure 60: STS3DPFS30 turn off ( $\mathrm{V}_{\mathrm{dc}}=\mathbf{1 3 . 2 V}$ )


Figure 61: STS3DPFS30 turn on $\left(\mathrm{V}_{\mathrm{dc}}=13.2 \mathrm{~V}\right)$


Figure 62: 1 N 5821 steady state $\left(\mathrm{V}_{\mathrm{dc}}=12 \mathrm{~V}\right)$


Figure 63: 1N5821 turn off $\left(V_{d c}=12 \mathrm{~V}\right)$


Figure 64: 1N5821 turn on ( $\mathrm{V}_{\mathrm{dc}}-12 \mathrm{~V}$ )

igure 65: 1 N 5821 steady state $\left(\mathrm{V}_{\mathrm{dc}}=10.8 \mathrm{~V}\right)$


Figure 66: 1N5821 turn off $\left(\mathrm{V}_{\mathrm{dc}}=10.8 \mathrm{~V}\right)$


Figure 67: 1N5821 turn on $\left(\mathrm{V}_{\mathrm{dc}}=10.8 \mathrm{~V}\right)$


Figure 68: 1N5821 steady state ( $\mathrm{V}_{\mathrm{dc}}=13.2 \mathrm{~V}$ )


Figure 69: 1N5821 turn off $\left(\mathrm{V}_{\mathrm{dc}}=13.2 \mathrm{~V}\right)$


Figure 70: 1N5821 turn on ( $\mathrm{V}_{\mathrm{dc}}-13.2 \mathrm{~V}$ )


Tab II: Main measured electrical parameters.

|  | STN790A | STS3DPFS30 |
| :---: | :---: | :---: |
| Vdc |  |  |
| Idc | 12 V typ | 12 V typ |
| Vce_sat@Ic=1 A and lb=15mA | 145 mV | 1 A |
| Rds(on)@Id=1,15 A and Vsg=9 V | -------- |  |
| Hfe @ Ic=1 A and Vec=1 V | 169 | 102 mOhm |
| Frequency | $90,0 \mathrm{Khz}$ | ---- |
| Tcase | $71^{\circ} \mathrm{C}$ | $89,7 \mathrm{Khz}$ |
| Turn-off Energy | 974 nJ | $49{ }^{\circ} \mathrm{C}$ |
| Turn-on Energy | 1508 nJ | 649 nJ |
| Turn-off time | 204 ns | 160 nJ |
| Turn-on time | 316 ns | 375 ns |
| Ic_max | $1,44 \mathrm{~A}$ | ----- |
| Id_max | ----- | $1,37 \mathrm{~A}$ |
| Duty cycle | $79 \%$ | $81 \%$ |
| Ibon | 12 mA | ---- |
| Vsg | ----- | $11,5 \mathrm{~V}$ |
| Iboff_max | -16 mA | ----- |
| Vsd_max | ----- | 13 V |
| Vec_max | 15 V | ---- |

Tab III: Main measured electrical parameters.

|  | STN790A | STS3DPFS30 |
| :---: | :---: | :---: |
| Vdc |  |  |
| Idc | $10,8 \mathrm{~V}$ | $10,8 \mathrm{~V}$ |
| Vce_sat@lc=1 A and Ib=15mA | 145 mV | $1,12 \mathrm{~A}$ |
| Rds(on)@ld=1,15 A and Vsg=9 v | -------- |  |
| Hfe @ Ic=1 A and Vec=1 V | 169 | 102 mOhm |
| Frequency | $89,8 \mathrm{Khz}$ | ----- |
| Tcase | $72^{\circ} \mathrm{C}$ | $90,0 \mathrm{Khz}$ |
| Turn-off Energy | 905 nJ | $47{ }^{\circ} \mathrm{C}$ |
| Turn-on Energy | 1634 nJ | 652 nJ |
| Turn-off time | 204 ns | 387 nJ |
| Turn-on time | 384 ns | 180 ns |
| Ic_max | $1,45 \mathrm{~A}$ | 104 ns |
| Id_max | -------- |  |
| Duty cycle | $90 \%$ | $1,31 \mathrm{~A}$ |
| Ibon | $12,5 \mathrm{~mA}$ | $90 \%$ |
| Vsg | ----- | ----- |
| Iboff_max | -16 mA | $10,3 \mathrm{~V}$ |
| ----- |  |  |


| Tab IV: Main electrical parameters measured. |  |  |
| :---: | :---: | :---: |
|  | STN790A | STS3DPFS30 |
|  |  |  |
| Vdc | $13,2 \mathrm{~V}$ | $13,2 \mathrm{~V}$ |
| Idc | $0,89 \mathrm{~A}$ | $0,89 \mathrm{~A}$ |
| Vce_sat@Ic=1 A and Ib=15mA | 145 mV | ----- |
| Rds(on)@\|d=1,15 A and Vsg=9 V | ----- | 102 mOhm |
| Hfe @ Ic=1 A and Vec=1 V | 169 | ----- |
| Frequency | $89,8 \mathrm{Khz}$ | $89,7 \mathrm{Khz}$ |
| Tcase | $68^{\circ} \mathrm{C}$ | $50{ }^{\circ} \mathrm{C}$ |
| Turn-off Energy | 1082 nJ | 640 nJ |
| Turn-on Energy | 1381 nJ | 377 nJ |
| Turn-off time | 204 ns | 144 ns |
| Turn-on time | 292 ns | 100 ns |
| Ic_max | $1,50 \mathrm{~A}$ | ----- |
| Id_max | ----- | $1,34 \mathrm{~A}$ |
| Duty cycle | $73 \%$ | $74 \%$ |
| Ibon | 15 mA | ----- |
| Vsg | ----- | $12,4 \mathrm{~V}$ |
| Iboff_max | -16 mA | ----- |
| Vsd_max | ----- | 14 V |
| Vec_max | 16 V | ----- |

The aim of the table below is to show how stable is the power delivered to the lamps. In fact, the maximum power variation is always below $2 \%$ for fluctuations of input voltage of $+/-10 \%$.

Table V: Input power variation vs input voltage variation

| Vdc | Idc | Pin | Delta_power |
| :---: | :---: | :---: | :---: |
| 12 V | 1 A | 12 W | ----- |
| $10,8 \mathrm{~V}$ | $1,12 \mathrm{~A}$ | $12,1 \mathrm{~W}$ | $0.83 \%$ |
| $13,2 \mathrm{~V}$ | $0,89 \mathrm{~A}$ | $11,8 \mathrm{~W}$ | $-1.69 \%$ |

Furthermore, considering the above graphs and tables it is possible to see that the operation frequency is about 90 KHz , the duty cycle is in the range of $73-81 \%$ for all considered input voltages conditions, the max Ic (Id) current is about 1.5 A , the max $\mathrm{V}_{\mathrm{ec}}\left(\mathrm{V}_{\mathrm{sd}}\right)$ voltage is about 14 V .

Considering the STN790A device, the $I_{\text {bon }}$ (bipolar transistor base current during conductions) is about 13 mA and the $\mathrm{I}_{\text {boff }}$ (bipolar transistor base current during turn-off) is about -16 mA . Such values are achieved by means of a suitable STN790A polarization net, consisting in the $R_{2}-R_{3}-R_{4}-C_{1}$ components. Such net avoids having $\mathrm{I}_{\text {sink }}$ outside the maximum rating established for TSM108 and, in the meantime, it minimizes the turn off losses of the transistor. In open air, the measured case temperature of STN790A and STS3DPFS30 is about $70^{\circ} \mathrm{C}$ and $50^{\circ} \mathrm{C}$ respectively. Such difference in temperature between STN790A and STS3DPFS30 is, in particular, due to the higher switching loss of the PNP power bipolar compared to the $P$ channel power MOSFET and, however, it can be considered acceptable.
On the other hand, it is important to highlight that, during the turn on and the turn off, using the P channel power MOSFET, much more noise is observed compared to the PNP power bipolar switching behavior.

In the next graphs all the waveforms regarding STSA1805, mounted in PUSH-PULL converter, are showed considering the three input voltages under analysis.

Figure 71: STSA1805 steady state ( $\mathrm{V}_{\mathrm{dc}}=12 \mathrm{~V}$ )


Figure 72: STSA1805 turn off ( $\mathrm{V}_{\mathrm{dc}}=12 \mathrm{~V}$ )


Figure 73: STSA1805 turn on ( $\mathrm{V}_{\mathrm{dc}}=12 \mathrm{~V}$ )


Figure 74: STSA1805 steady state $\left(\mathrm{V}_{\mathrm{dc}}=10.8 \mathrm{~V}\right)$


Figure 75: STSA1805 turn off $\left(\mathrm{V}_{\mathrm{dc}}=10.8 \mathrm{~V}\right)$


Figure 76: STSA1805 turn on ( $\mathrm{V}_{\mathrm{dc}}=10.8 \mathrm{~V}$ )


Figure 77: STSA1805 steady state $\left(\mathrm{V}_{\mathrm{dc}}=13.2 \mathrm{~V}\right)$


Figure 78: STSA1805 turn off $\left(\mathrm{V}_{\mathrm{dc}}=13.2 \mathrm{~V}\right)$


Figure 79: STSA1805 turn on $\left(\mathrm{V}_{\mathrm{dc}}=\mathbf{1 3 . 2 V}\right)$


Tab VI: Main electrical parameters measured.

|  | STSA1805 | STSA1805 | STSA1805 |
| :---: | :---: | :---: | :---: |
| Vdc | 12 V typ | $10,8 \mathrm{~V}$ | $13,2 \mathrm{~V}$ |
| Idc | 1 A | $1,12 \mathrm{~A}$ | $0,89 \mathrm{~A}$ |
| Vce_sat@Ic=1 A and Ib=35mA | 78 mV | 78 mV | 78 mV |
| Hfe @ Ic=1,4 A and Vec=1 V | 305 | 305 | 305 |
| Frequency | $40,0 \mathrm{Khz}$ | $40,3 \mathrm{Khz}$ | $40,4 \mathrm{Khz}$ |
| Tcase | $41^{\circ} \mathrm{C}$ | $41^{\circ} \mathrm{C}$ | $41^{\circ} \mathrm{C}$ |
| Turn-off Energy | 1131 nJ | 959 nJ | 976 nJ |
| Turn-on Energy | Negligible | Negligible | Negligible |
| Ic_max | $1,58 \mathrm{~A}$ | $1,45 \mathrm{~A}$ | $1,39 \mathrm{~A}$ |
| Ibon | 35 mA | 35 mA | 35 mA |
| Iboff_max | -122 mA | -121 mA | -126 mA |
| Vce_max | 31 V | 30 V | 31 V |

In the above graphs and table it is possible to see that the operation frequency is about 40 KHz , the $\mathrm{I}_{\text {bon }}$ is about 35 mA , the max $\mathrm{V}_{\text {ce }}$ is about 32 V and the $\max \mathrm{I}_{\mathrm{c}}$ is about 1.5 A for all the powering conditions. From the thermal measurement, the case temperature for STSA1805 is $41^{\circ} \mathrm{C}$.

The measured case temperature of the TSM108 is $29^{\circ} \mathrm{C}$ in all conditions, the ambient temperature is $25^{\circ} \mathrm{C}$.

## 13. CONCLUSIONS

This paper has showed an example on how a CCFL application can be designed and realized using the TSM108, the power bipolar transistors STN790A (or the Power MOSFET STS3DPFS30), STSA1805 and the SCHOTTKY diode 1N5821.
In particular, a detailed theoretical model of the system has been built and the validation of the results has given confirmation of the decided approach. Based on the very good results achieved, this technical paper offers a valid support to whoever is interested in designing such kind of lighting systems.
The application shows a very good operation and it is stable considering the several input voltage conditions. The application uses the 'ROYER' topology and by means of a sensing circuitry it fixes the lamps brightness considering a net fluctuation. In fact, for variations of $+/-10 \%$ of the nominal powering voltage, the application power variation is always less than $2 \%$. Furthermore, acting on a $P$ trimmer it is possible to regulate the lamps brightness changing the PNP power bipolar duty cycle, or the P channel power MOSFET one.
Such a design considers an output solution with two 6W lamps connected in parallel, but tuning the capacitors and the resistors components any output topology, considering several lamps, can be achieved using the same STMicroelectronics' devices. This design allows, acting on the $P$ trimmer, the output power on the lamps to be fixed between the $2-16 \mathrm{~W}$ range and the application is enabled when the input voltage is in the range of $8.5-15.5 \mathrm{~V}$. The operation frequency of the transistor $\mathrm{Q}_{1}$, in the BUCK converter part, is fixed at about 90 KHz . The application shows a good electrical and thermal behavior considering both the solutions with STN790A (PNP power bipolar) and STS3DPFS30 (P channel power MOSFET). In particular, the measured case temperature of the device STN790A under open air condition, is in the worst case about $70^{\circ} \mathrm{C}$ compared to the $50^{\circ} \mathrm{C}$ of STS3DPFS30 (such a device has also an integrated SCHOTTKY diode included in the same package). The reason for the difference in the case temperature measured on the two devices is due, in particular, to the higher switching losses of the power bipolar transistor compared to the power MOSFET transistor, and anyway is acceptable for this design. On the other hand, it is important to highlight that, during the turn on and the turn off, of the $P$ channel power MOSFET much more noise was observed compared to the PNP power bipolar. The reason for such a behavior is mainly due to the higher speed of the MOSFET compared to the bipolar transistor. The analysis results achieved in this experiment demonstrate that the TSM108 and the power transistors STN790A, or STS3DPFS30, and the STSA1805 can be used in order to realize the CCFL applications.

Table 6: Revision History

| Date | Revision | Description of Changes |
| :--- | :--- | :--- |
| 28-Apr-2004 | 1 | First Release |
| 18-Jun-2004 | 2 | Some spelling mistakes were <br> corrected |

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